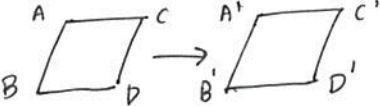
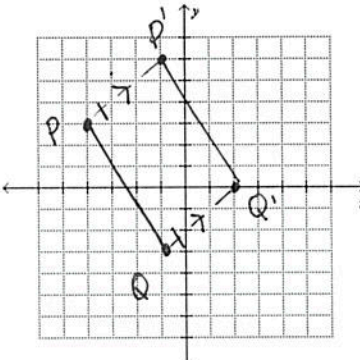
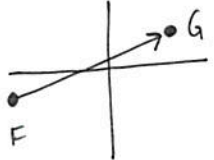
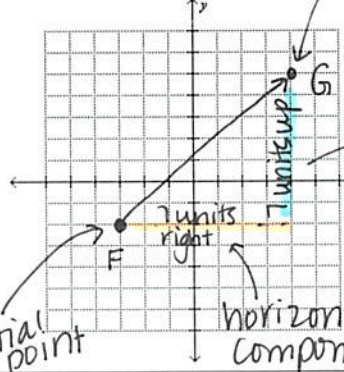


Section Summary: 9-1 Translate Figures & Use Vectors

Key

Term	Definition	Example
<b>transformation</b>	A transformation is a move or a change to a figure that produces a new figure called an image.	
<b>image</b>	The figure produced after transformation(s).	A'B'C'D' above
<b>preimage</b>	Another name for the original figure before any transformations.	ABCD above
<b>prime notation</b>	If the rule for transforming points in a figure ABC is $(x,y) \rightarrow (x+4,y-1)$ , then A'B'C' is ABC with all points moved right 4 and down 1.	see image
<b>translation</b>	A translation moves every point of a figure the same distance in the same direction. $PP' = QQ'$ and $\overline{PP'} \parallel \overline{QQ'}$ or $PP' = QQ'$ and $\overline{PP'}$ and $\overline{QQ'}$ are collinear.	
<b>isometry</b>	An isometry is a transformation that preserves length and angle measure. Isometry is another word for congruence transformation.	
<b>Theorem 9.1 Translation Theorem</b>	<b>A translation is an isometry.</b>	$PP' \cong QQ'$ & $PP' \parallel QQ'$
<b>vector</b>	A vector is a quantity that has both direction and magnitude (size). It is represented by an arrow drawn from one point to another in a plane.	
<b>Vectors</b>	<ol style="list-style-type: none"> <li><b>Initial Point</b>- starting point of the vector</li> <li><b>Terminal Point</b>- ending point of the vector</li> <li><b>Horizontal Component</b>- the horizontal change (change in x)</li> <li><b>Vertical Component</b>- the vertical change (change in y)</li> </ol>	 <p>initial point</p> <p>terminal point</p> <p>vertical component</p> <p>horizontal component</p>
<b>component form</b>	The component form of a vector combines the horizontal and vertical components. Example: $\langle 2, -3 \rangle$ move right 2, move down 3	$\vec{FG} \langle 7, 7 \rangle$

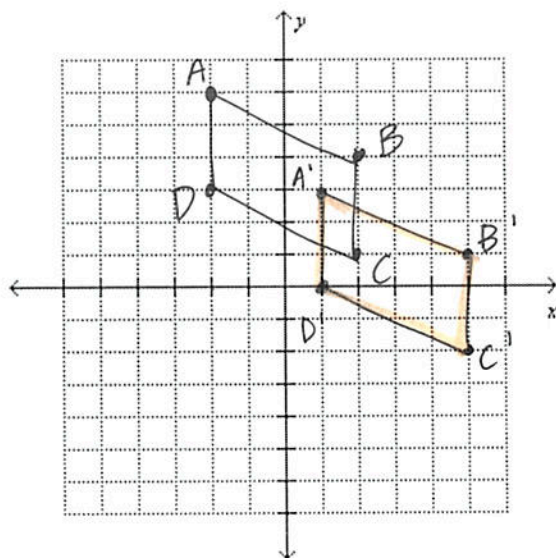
1. Graph quadrilateral ABCD with vertices  $A(-2,6)$ ,  $B(2,4)$ ,  $C(2,1)$ , and  $D(-2,3)$ . Find the image of each vertex after the translation  $(x,y) \rightarrow (x+3, y-3)$ . Then, graph the image using prime notation.

$$A' = (-2+3, 6-3) = (1, 3)$$

$$B' = (2+3, 4-3) = (5, 1)$$

$$C' = (2+3, 1-3) = (5, -2)$$

$$D' = (-2+3, 3-3) = (1, 0)$$



2. Use the translation  $(x,y) \rightarrow (x-5, y+2)$

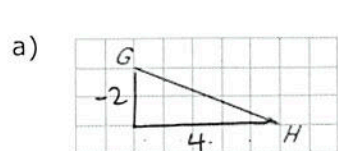
a) What is the image of  $A(1, 5)$  ?

$$A'(1-5, 5+2) = A'(-4, 7)$$

b) What is the preimage of  $C'(3, -4)$  ?

$$\begin{aligned} x-5 &= 3 & y+2 &= -4 \\ x &= 8 & y &= -6 \end{aligned} \quad C(8, -6)$$

3. Name the vector and write its component form.



name:  $\vec{GH}$

component form:  $\langle 4, -2 \rangle$

4. The vertices of  $\triangle ABC$  are  $A(0,4)$ ,  $B(2,3)$  and  $C(1,0)$ . Translate  $\triangle ABC$  using the vector  $\langle -4, 1 \rangle$ .

left 4  
up 1

