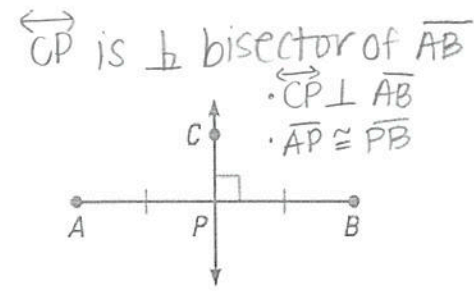


5.2 USE PERPENDICULAR BISECTORS



A segment, ray, line, or plane is a **perpendicular bisector** if it is perpendicular to a segment at its midpoint.

A point is **equidistant** from two figures if the point is the same distance from each figure.

****Points on the perpendicular bisector of a segment are equidistant from the segment's endpoints.****

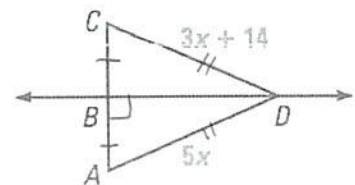
<p>Perpendicular Bisector Theorem</p>	<p>In a plane, if a point is on the perpendicular bisector of a segment, then it is equidistant from the endpoints of the segment.</p> <p>if \overleftrightarrow{CP} is \perp bisector of \overline{AB}, then $\overline{CA} \cong \overline{CB}$</p>	
<p>Converse of Perpendicular Bisector Theorem</p>	<p>In a plane, if a point is equidistant from the endpoints of a segment, then it is on the perpendicular bisector of the segment.</p> <p>if $\overline{CA} \cong \overline{CB}$ then \overleftrightarrow{CP} is perp bisector of \overline{AB}</p>	

Example 1

\overline{BD} is the perpendicular bisector of \overline{AC} . Find AD.

$$\begin{aligned} 3x + 14 &= 5x \\ 14 &= 2x \\ 7 &= x \end{aligned}$$

$$AD = 5(7) = \boxed{35 \text{ units}}$$



Example 2

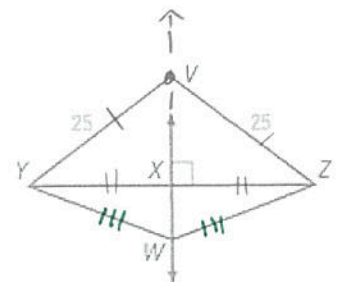
In the diagram, \overline{WX} is the perpendicular bisector of \overline{YZ} .

a. What segment lengths in the diagram are equal?

$$\overline{YX} \cong \overline{ZX} \text{ so } \overline{YX} \cong \overline{ZX} \quad \overline{WY} \cong \overline{WZ} \text{ by } \perp \text{ bisector thm}$$

b. Is V on \overline{WX} ?

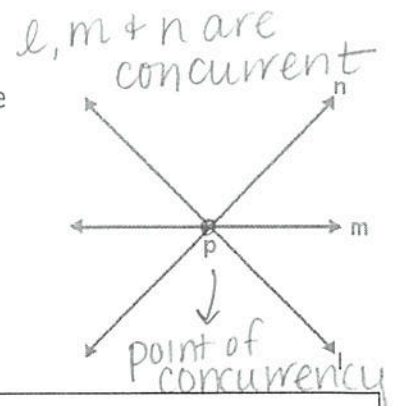
yes by converse of \perp Bisector Thm



5.2 USE PERPENDICULAR BISECTORS

When three or more lines, rays, or segments intersect in the same point, they are called **concurrent** lines, rays, or segments.

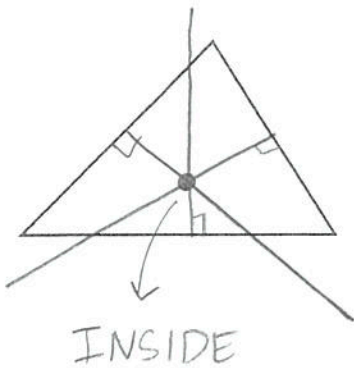
The intersection of the lines, rays, or segments is called the **point of concurrency**.



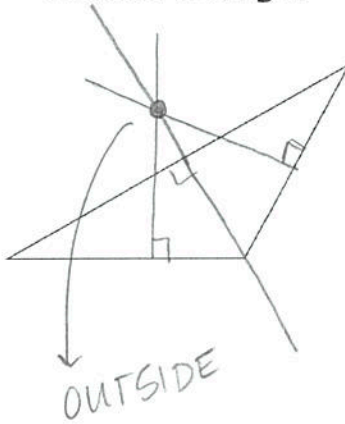
Concurrency of Perpendicular Bisectors of a Triangle	The perpendicular bisectors of a triangle intersect at a point that is equidistant from the vertices of the triangle. $\overline{DP}, \overline{EP}, \overline{FP}$ are \perp bisectors so $\overline{PB} \cong \overline{PA} \cong \overline{PC}$	
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The point of concurrency of the perpendicular bisectors of a triangle is called the **circumcenter** of the triangle.

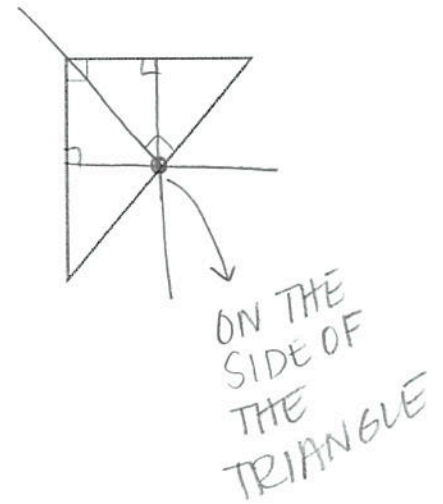
Acute Triangle



Obtuse Triangle



Right Triangle



Today's Homework: pg 306-307: 1 - 15, 24